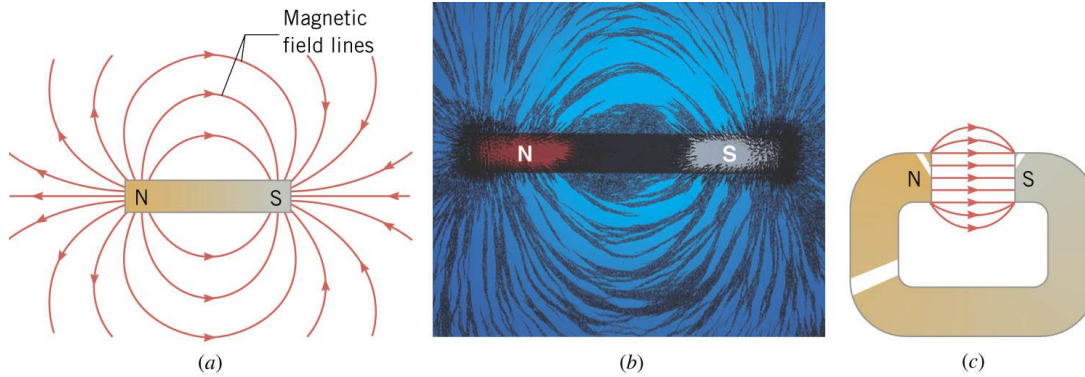


Chapter 20

Magnetic Fields & Forces



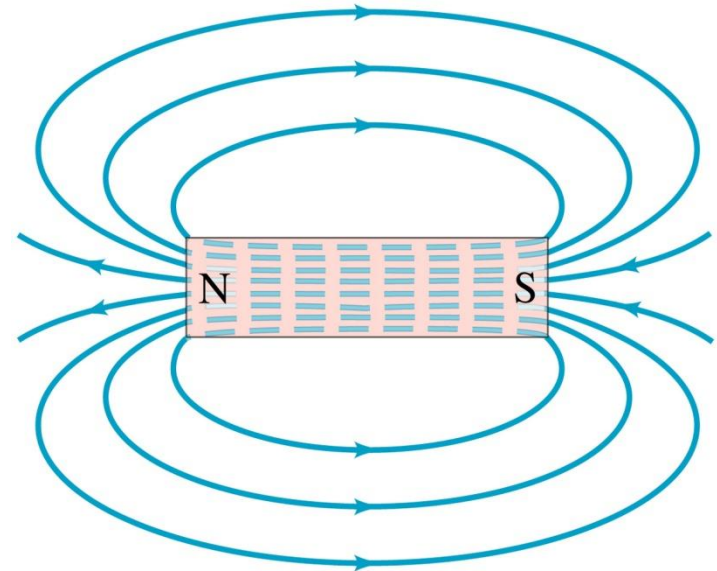
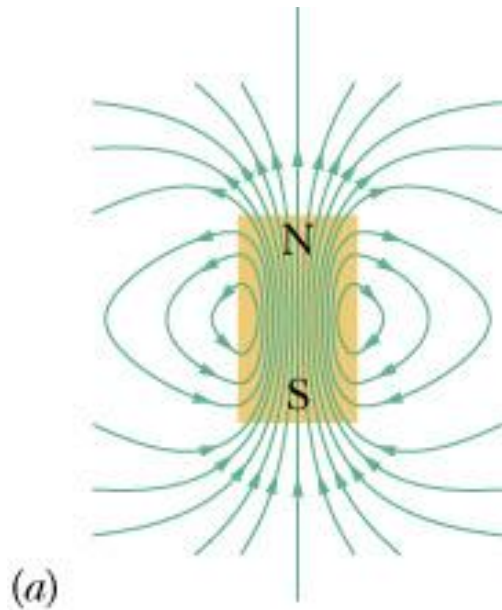
Magnetic Fields – Permanent Magnets



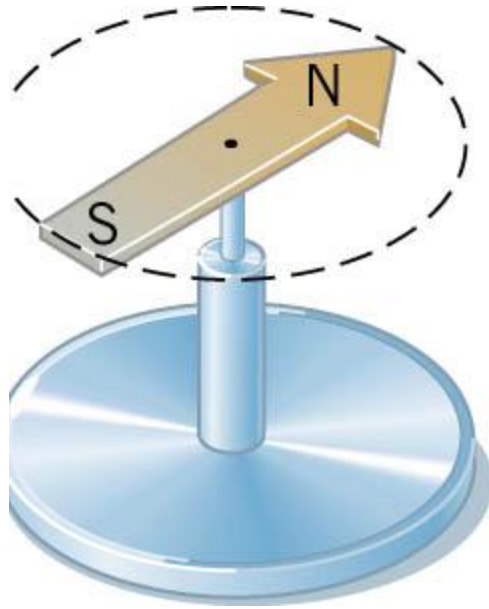
- Magnetic fields are continuous loops – leaving a North pole and entering a South pole
- they point in direction that an isolated North would move
- Highest strength near poles (highest concentration of field lines)

Magnetic field lines are closed loops

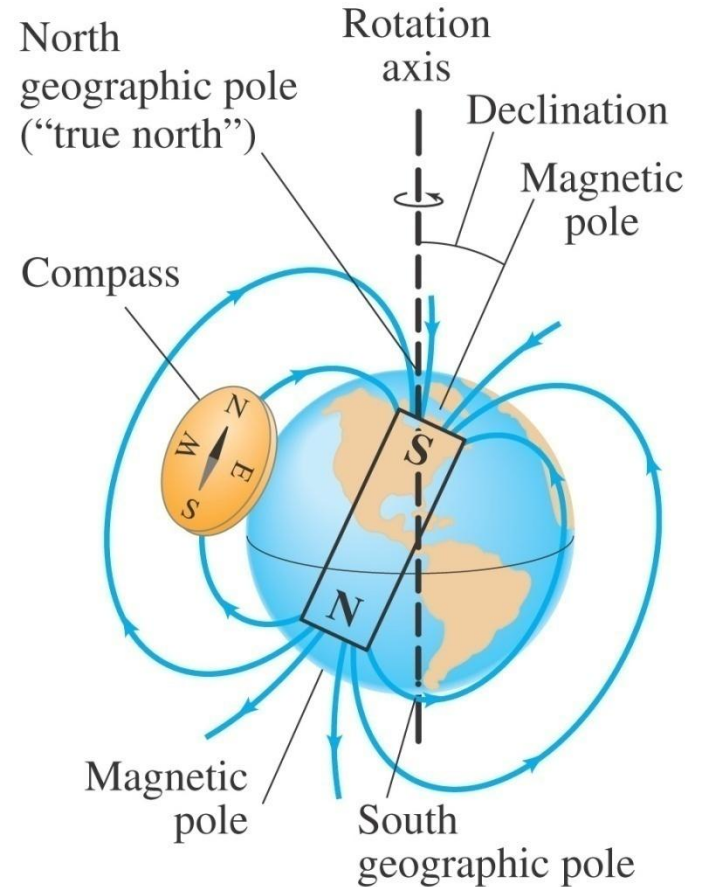
- they pass through permanent magnets due to domains in metal



World's Largest Magnet?



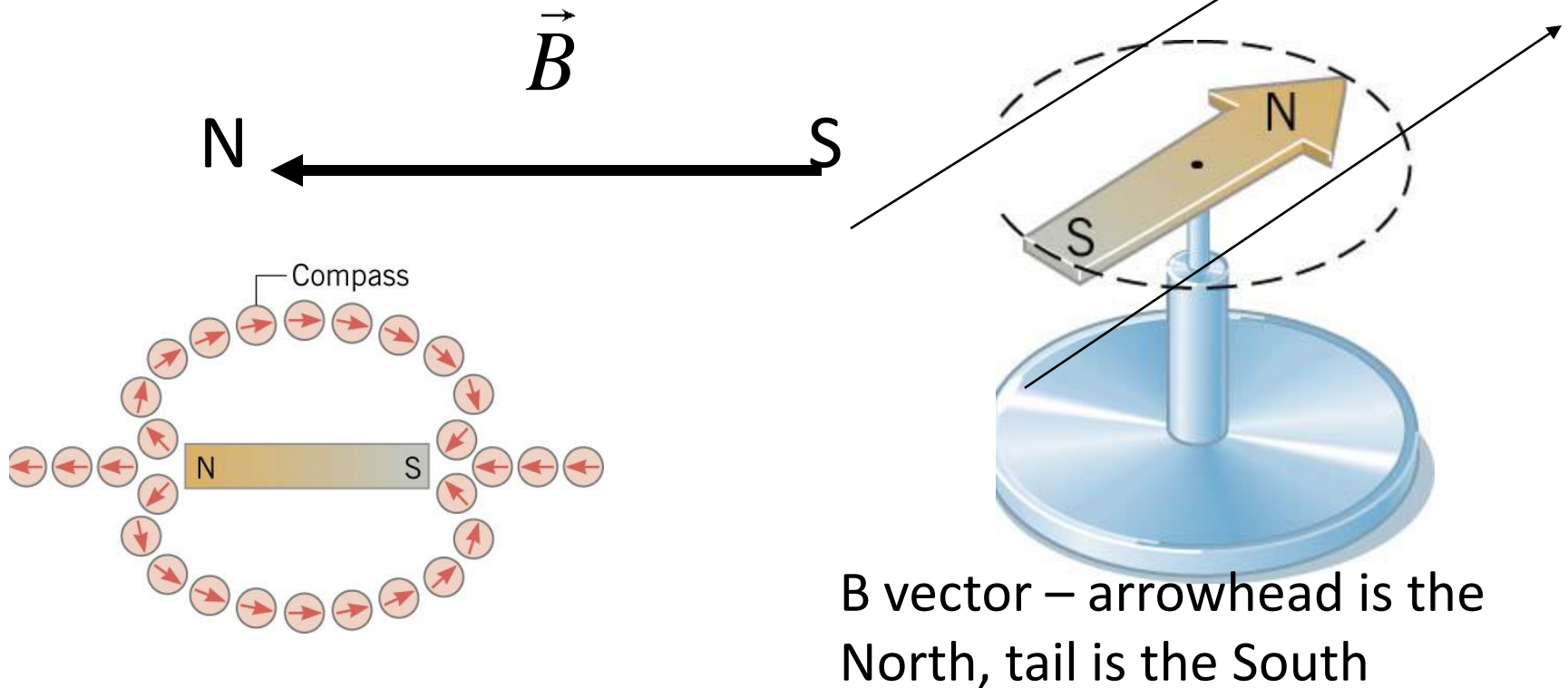
compass is a magnetized needle that aligns with the Earth's magnetic field loops



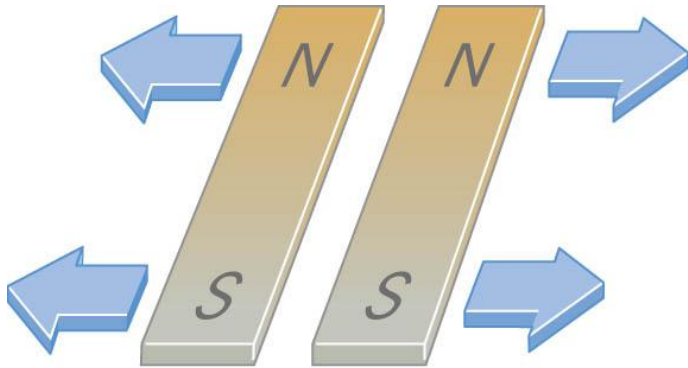
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Magnetic Fields

- Magnetic field vector \vec{B} points in the direction that an isolated North pole would move

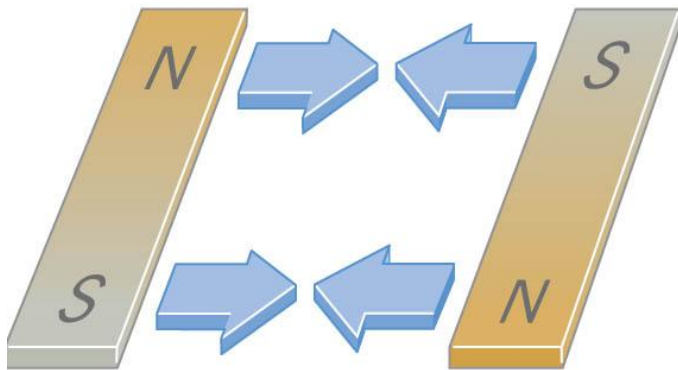


Magnetic Force Law



Like poles repel

(a)

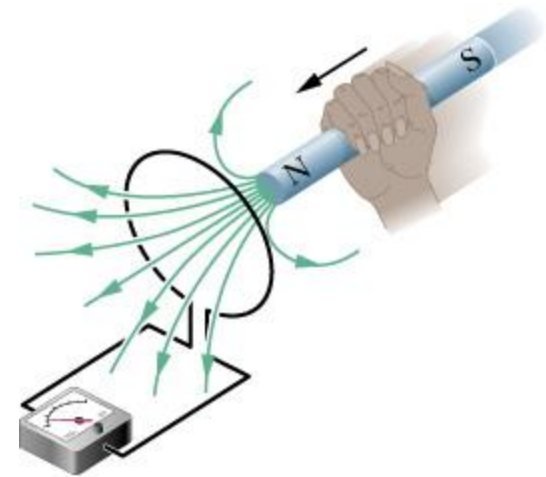
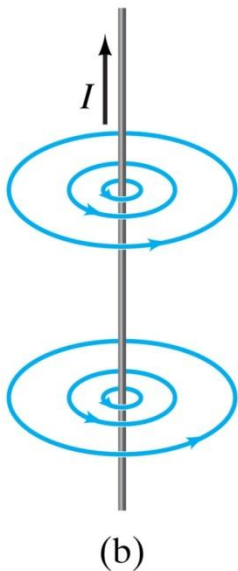


Unlike poles attract

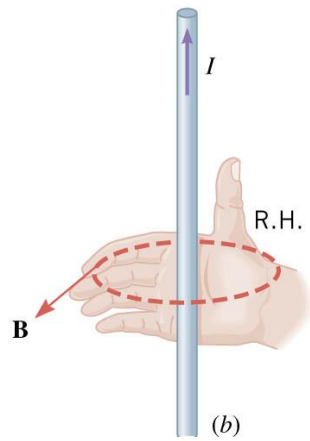
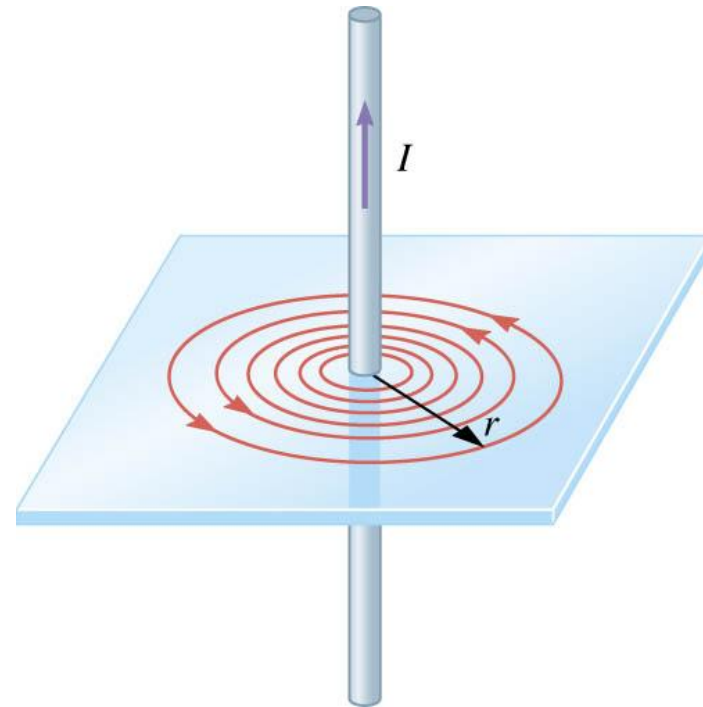
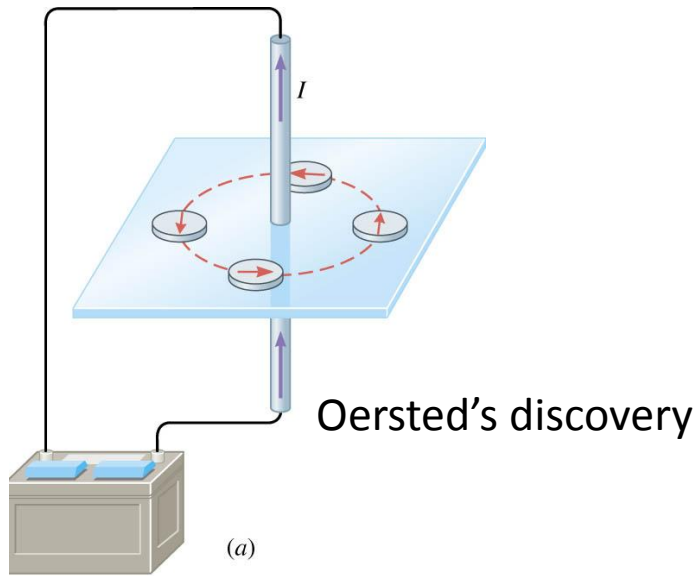
(b)

Electricity and Magnetism are inseparable

- Basic theme to chapters 20, 21
 - changing electric field (current flow) creates magnetic field
 - changing magnetic field (generator) creates electric field (current flow)



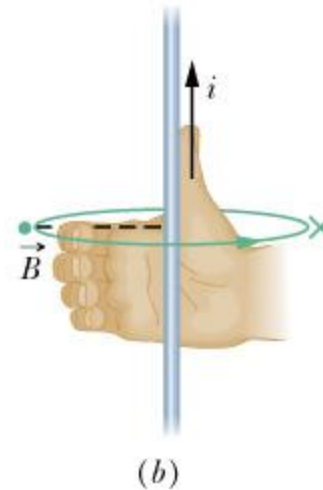
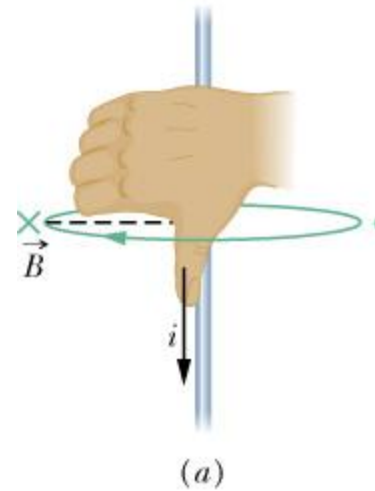
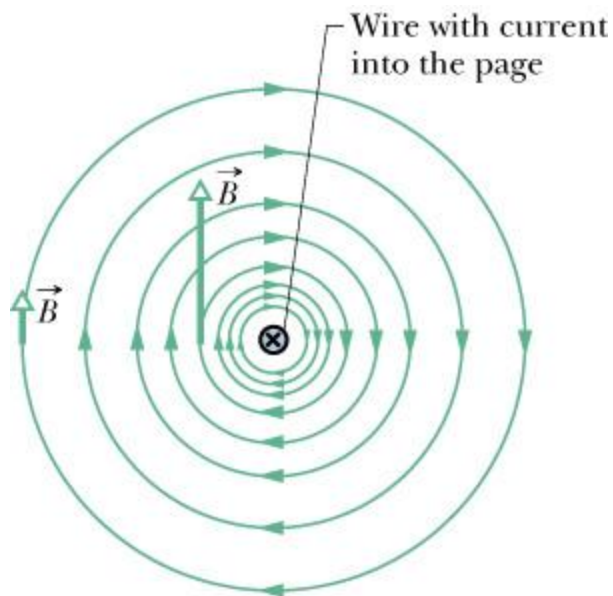
Electric current creates magnetic field



Right Hand Rule

Thumb points in direction of current (motion of + charges)

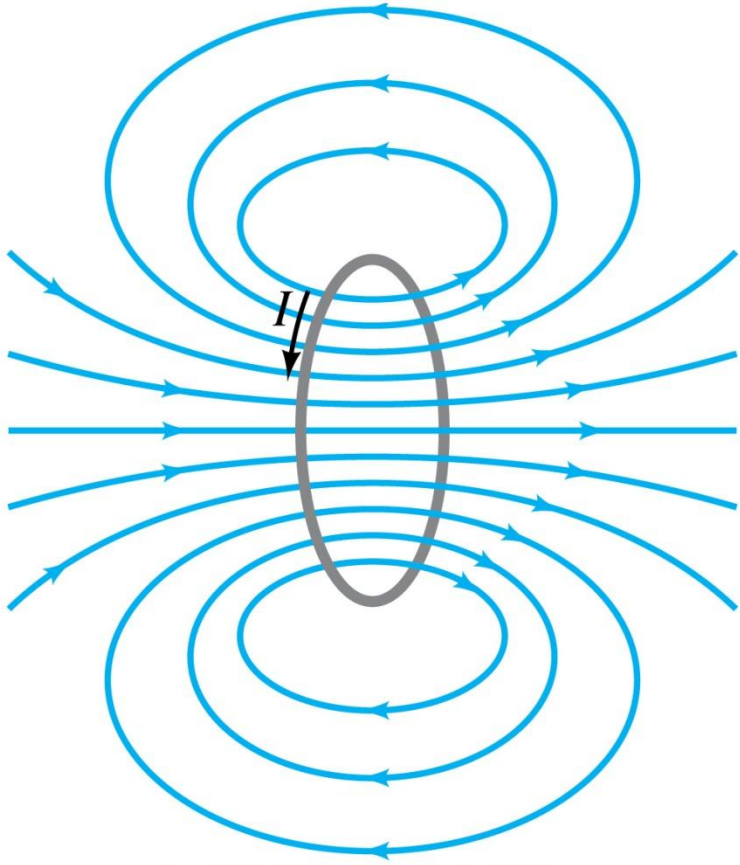
Fingers curl in direction of B vector



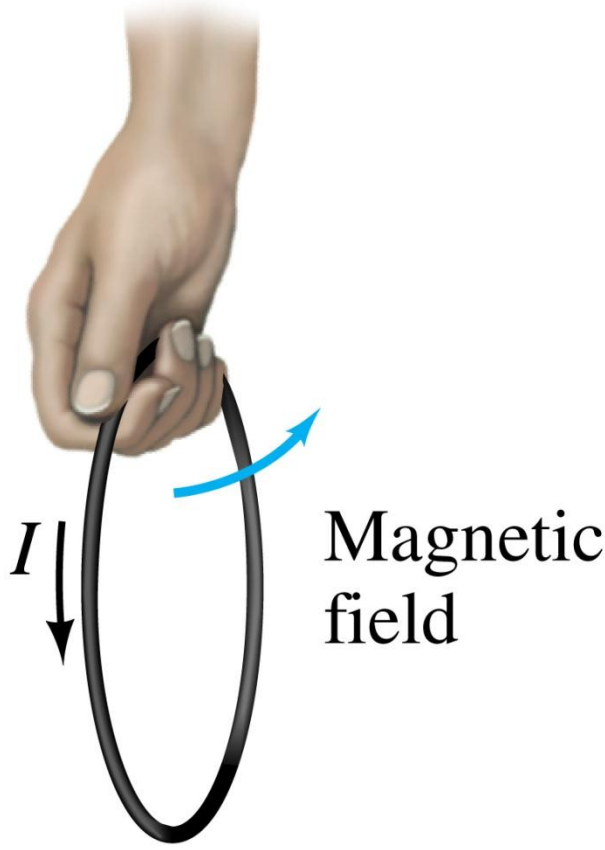
- B field vector out of page
- X B field vector into the page

Magnetic field created by a loop of current carrying wire

- same RHR as with wire

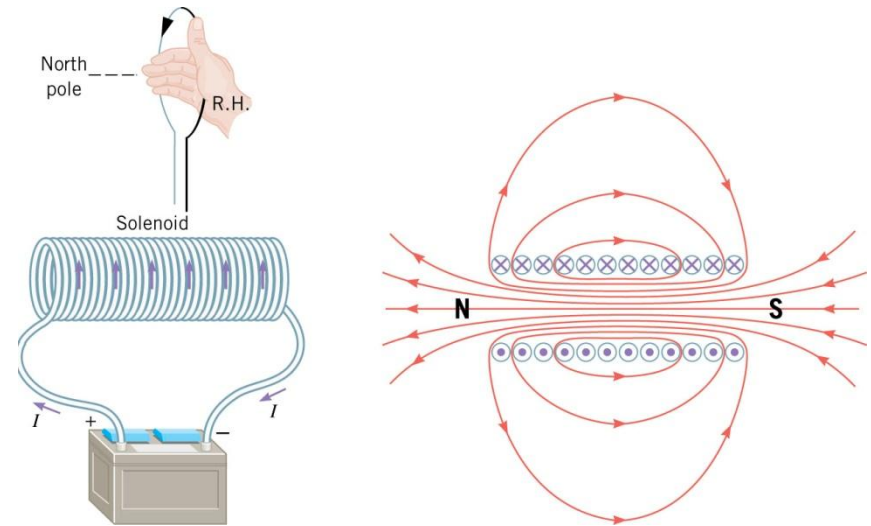
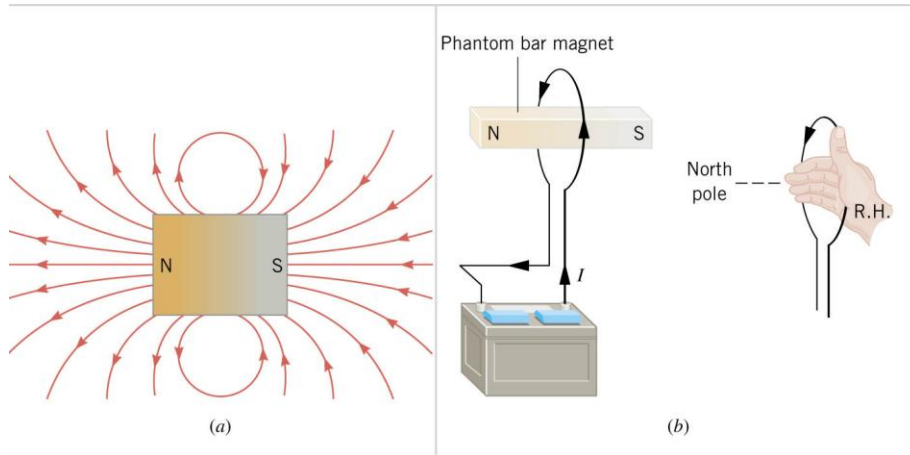


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Circular loop of current carrying wire



solenoid is multiple loop
coil of current carrying wire

Circular loop carrying current creates magnetic field
like a permanent bar magnet

Field Strength is a Ratio

$$g = \frac{\textit{weight}}{\textit{mass}}$$

gravitational field strength

$$\vec{E} = \frac{\vec{F}}{q_0}$$

electric field strength

$$\vec{B} = \frac{\textit{Force}}{?}$$

what experiences a force when placed in a magnetic field?

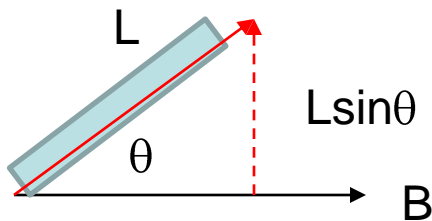
A current carrying wire

B field strength

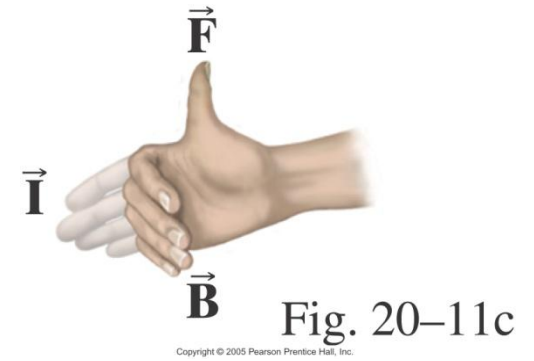
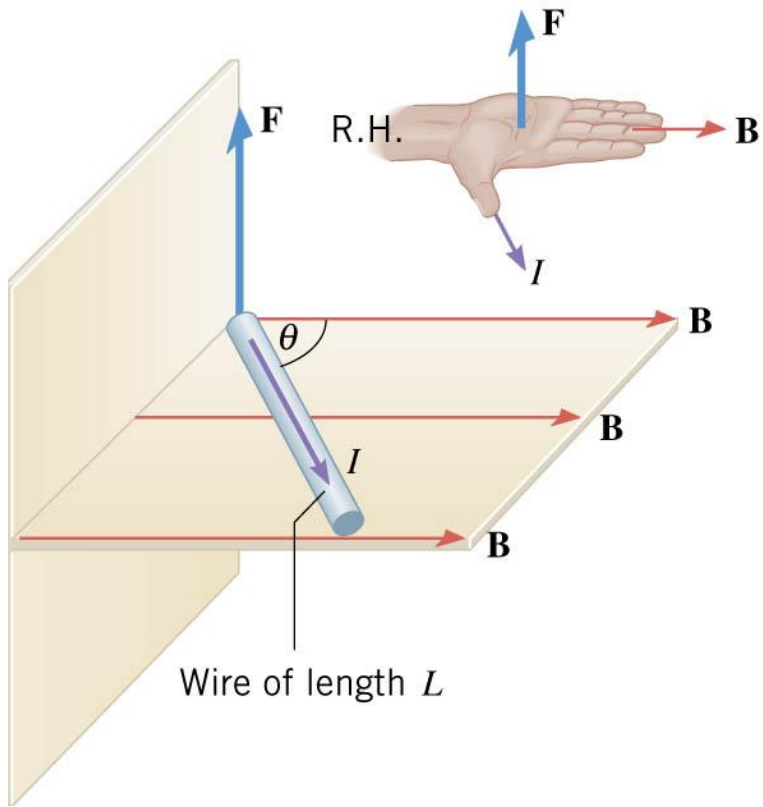
$$B = \frac{\text{Force}}{I \bullet L \sin \theta} \quad F_B = I(L \sin \theta)B$$

Units: Force in newtons, I in Amperes, L in meters,
B in Teslas

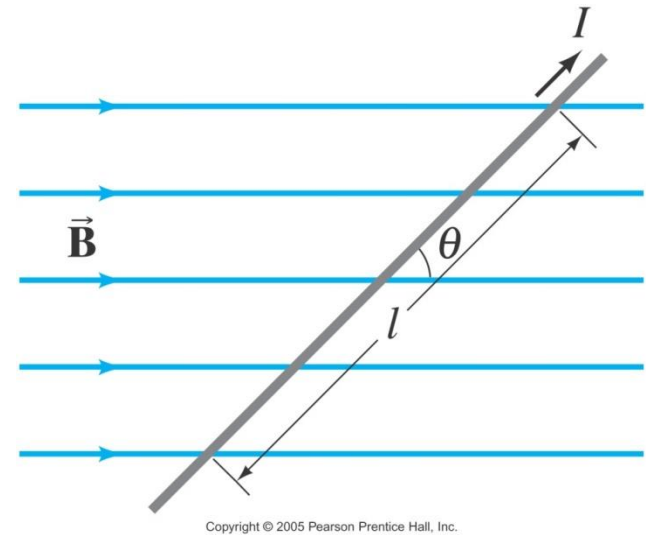
θ is angle between current in wire and B field vector



the component of current/wire
that is \perp to B contributes to force



text version of RHR

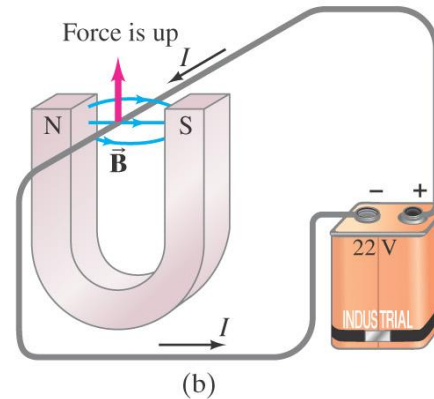
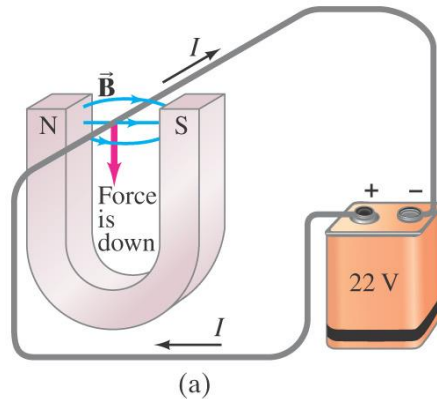


Force is maximum when $\theta = 90^\circ$

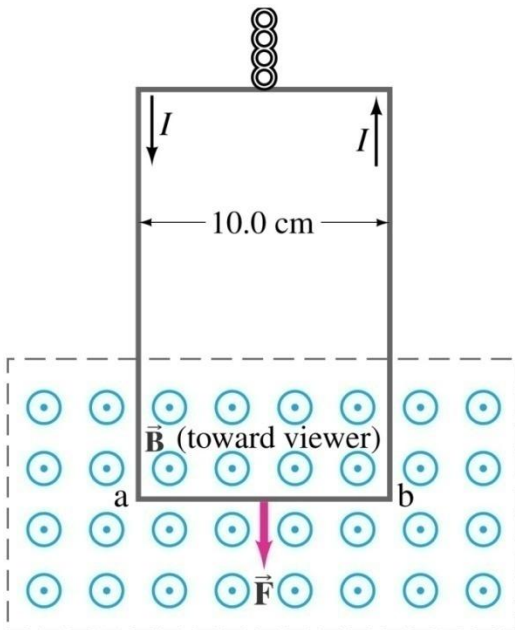
Force is zero when $\theta = 0^\circ$

Practice RHR with your _____ hand?

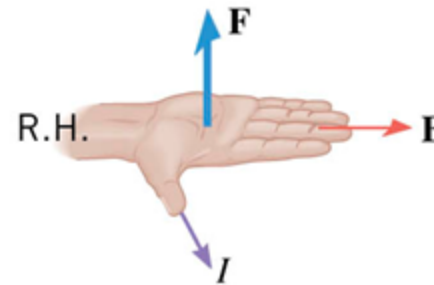
RIGHT



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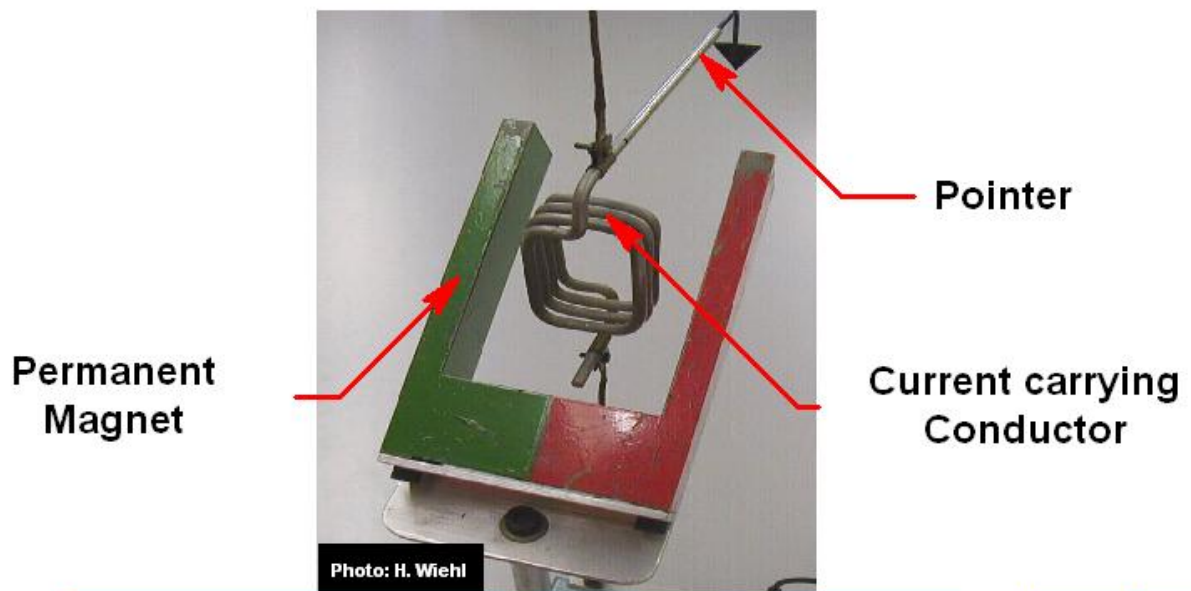
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Electrical Current Measuring Device

Magnetism / Force

Video: H. Wiehl



Measuring Electrical Current

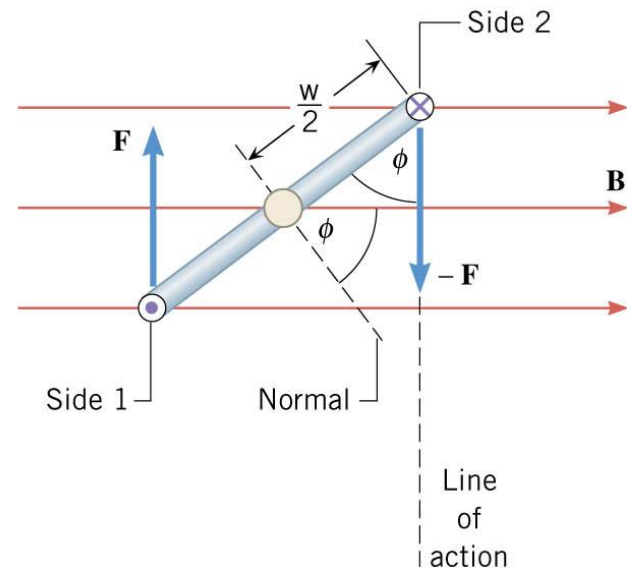
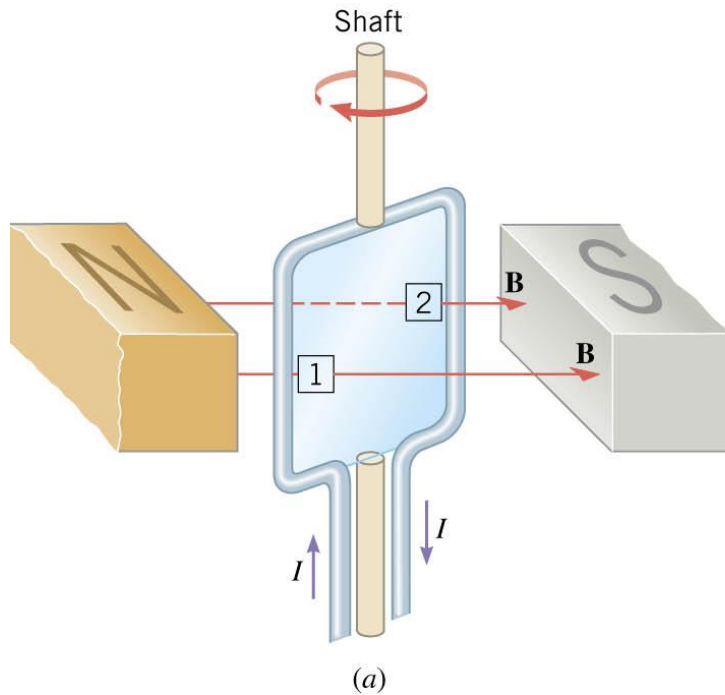
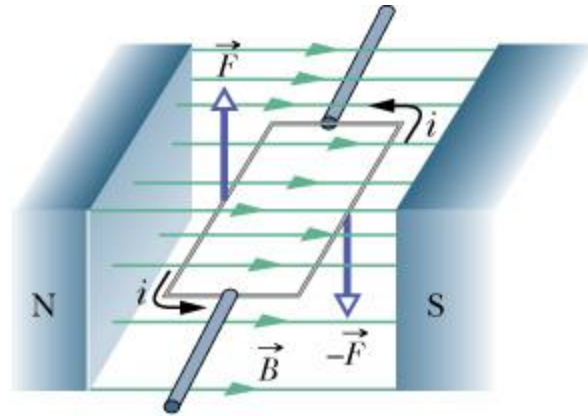
Chapter 4 Section 2

Pages End content

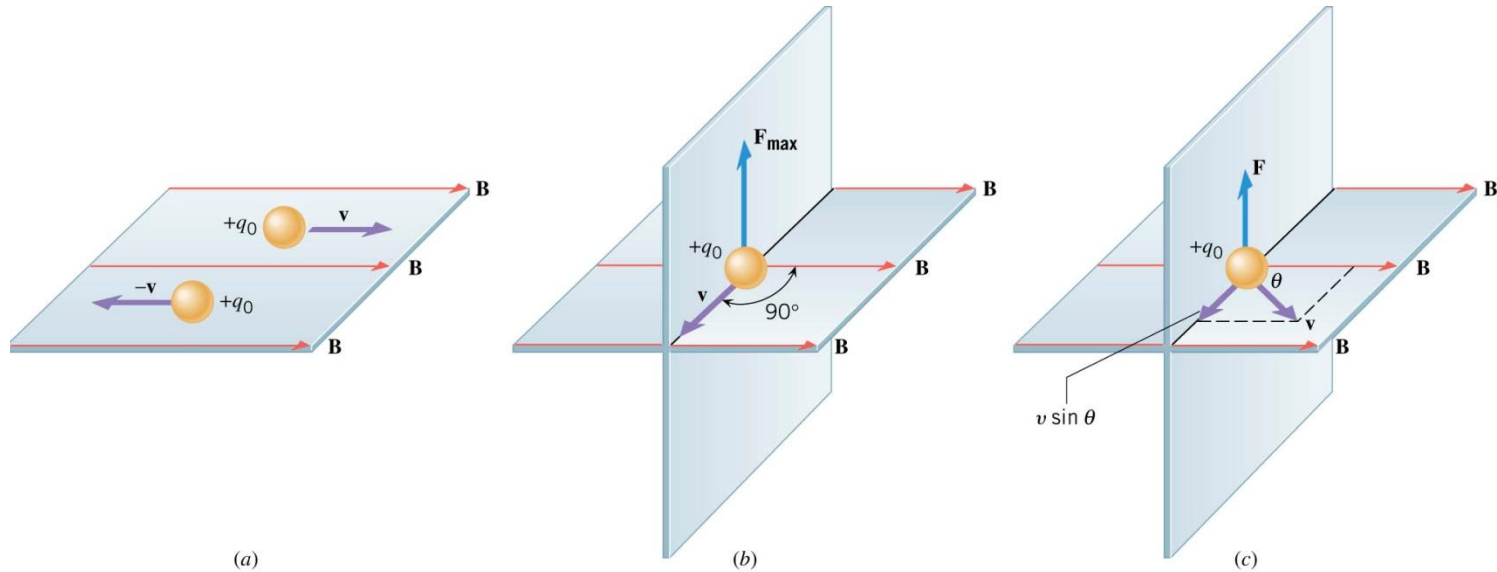
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DC Motor



Magnetic Force on charge moving through B field

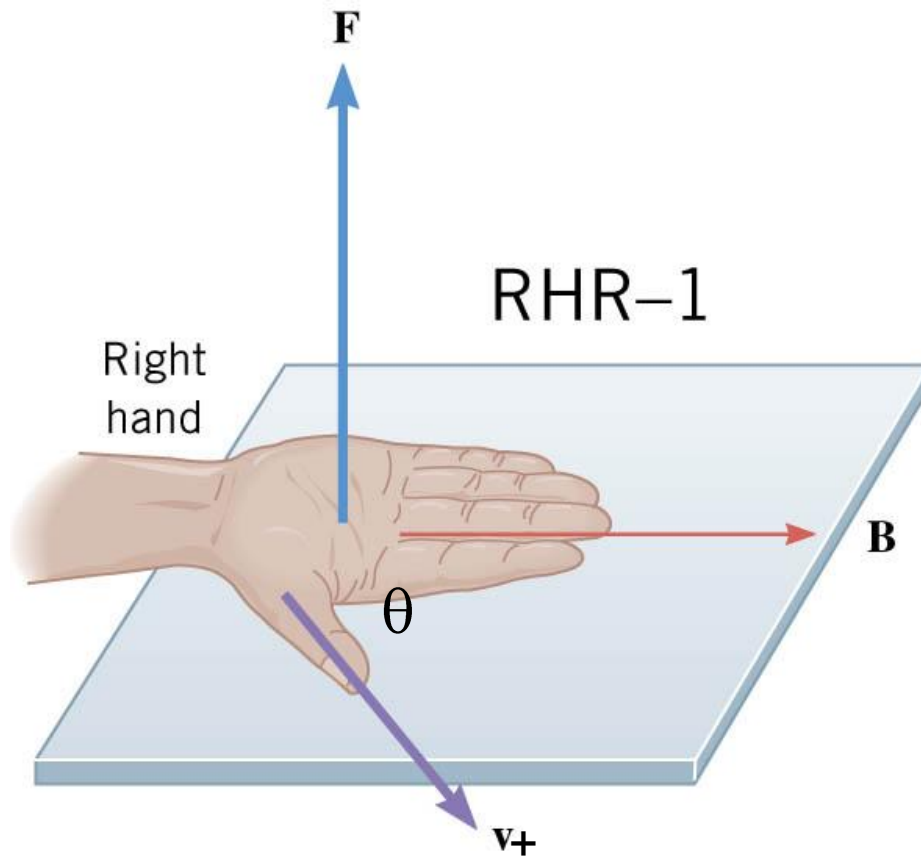


charge moving parallel to B field experiences zero magnetic force F_B

charge moving perpendicular to B field experiences maximum force

\perp component of velocity vector contributes to force

Right Hand Rule

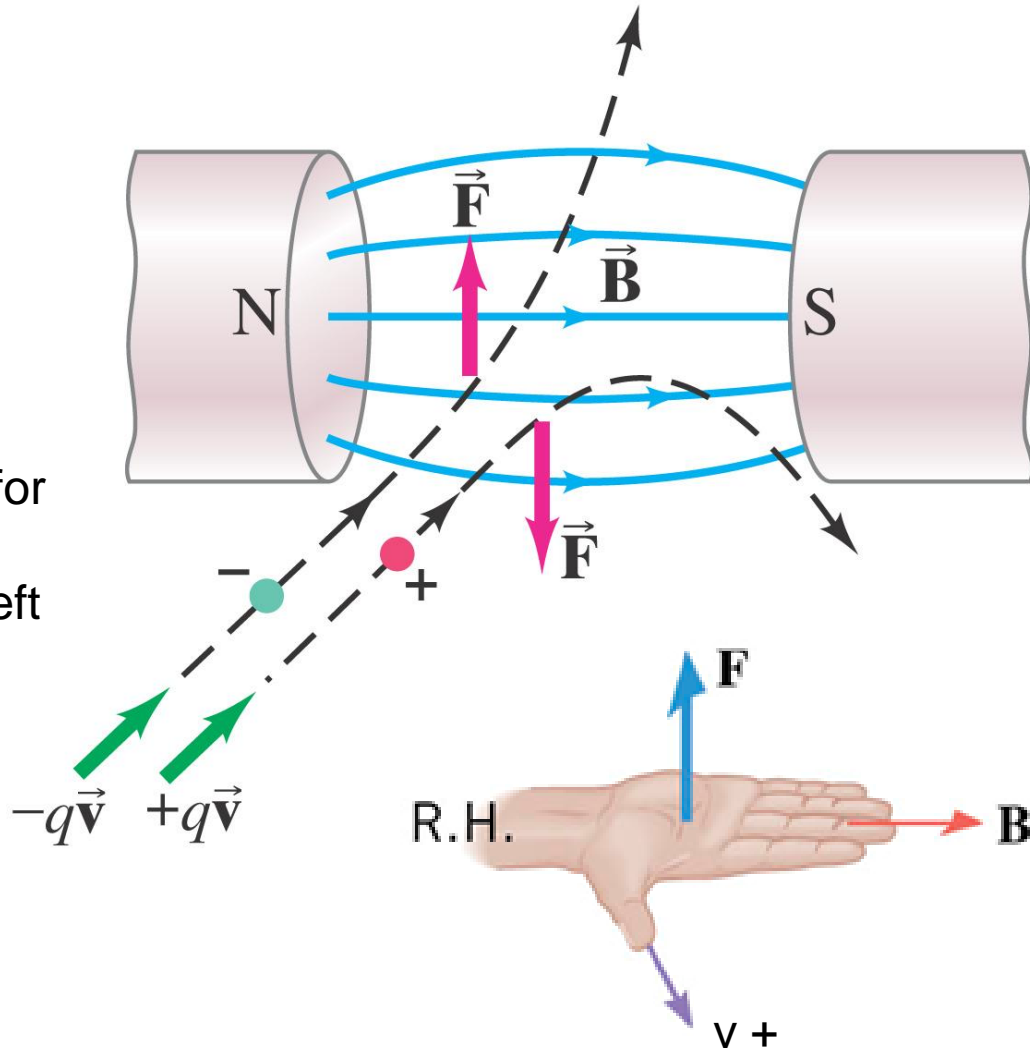


- Fingers point in direction of B vector (North leaving fingertips)
- thumb points in direction of velocity vector of $+$ charge
- force is normal to palm
- **point thumb 180° opposite direction for electron (flip hand over)**

$$F_B = q(v \sin \theta)B$$

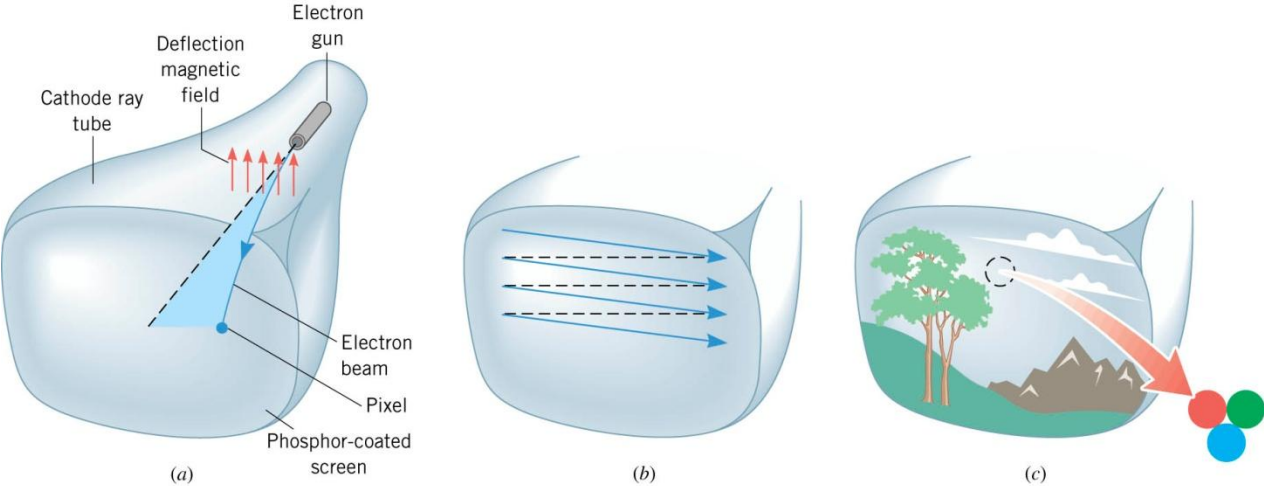
Practice RHR with your _____ hand?

RIGHT

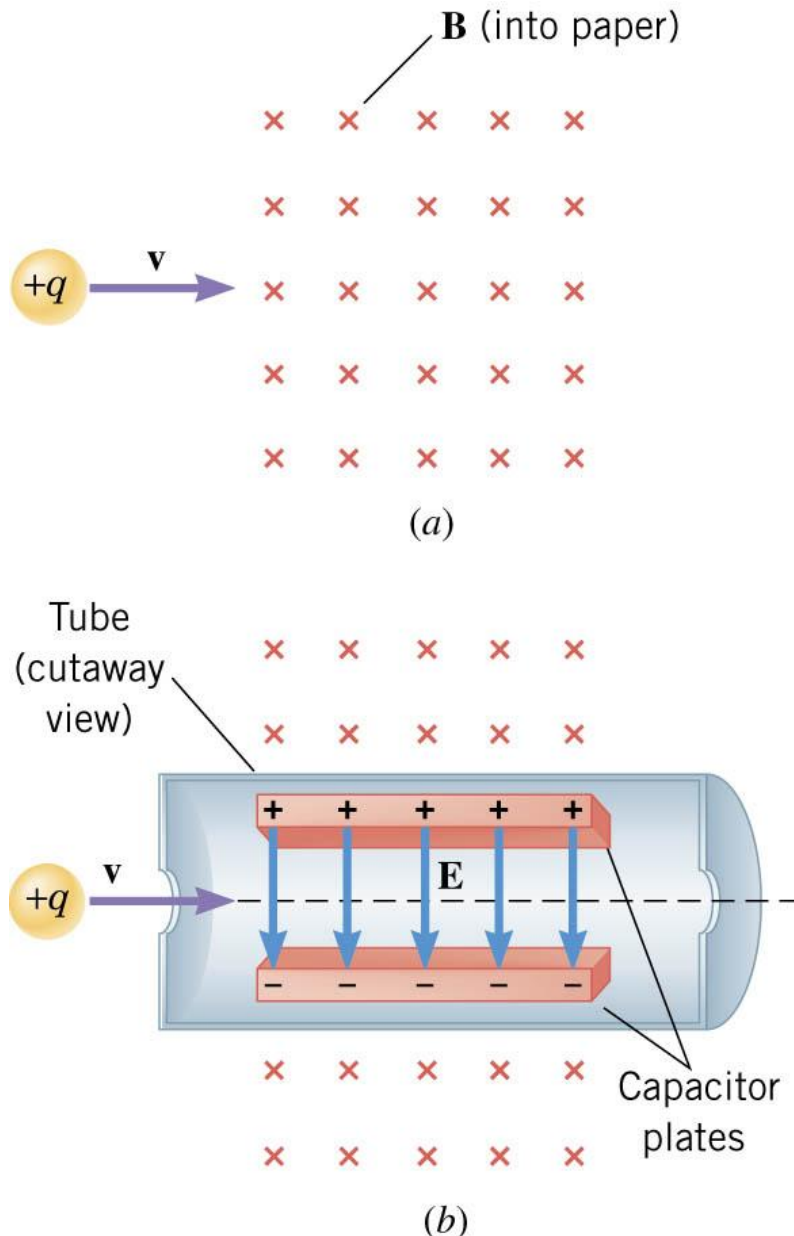


Flip hand over for
electron –
never use the left
hand

CRT demo – RHR-1 practice



Crossed E, B fields



balancing the F_B with and F_E from electric field

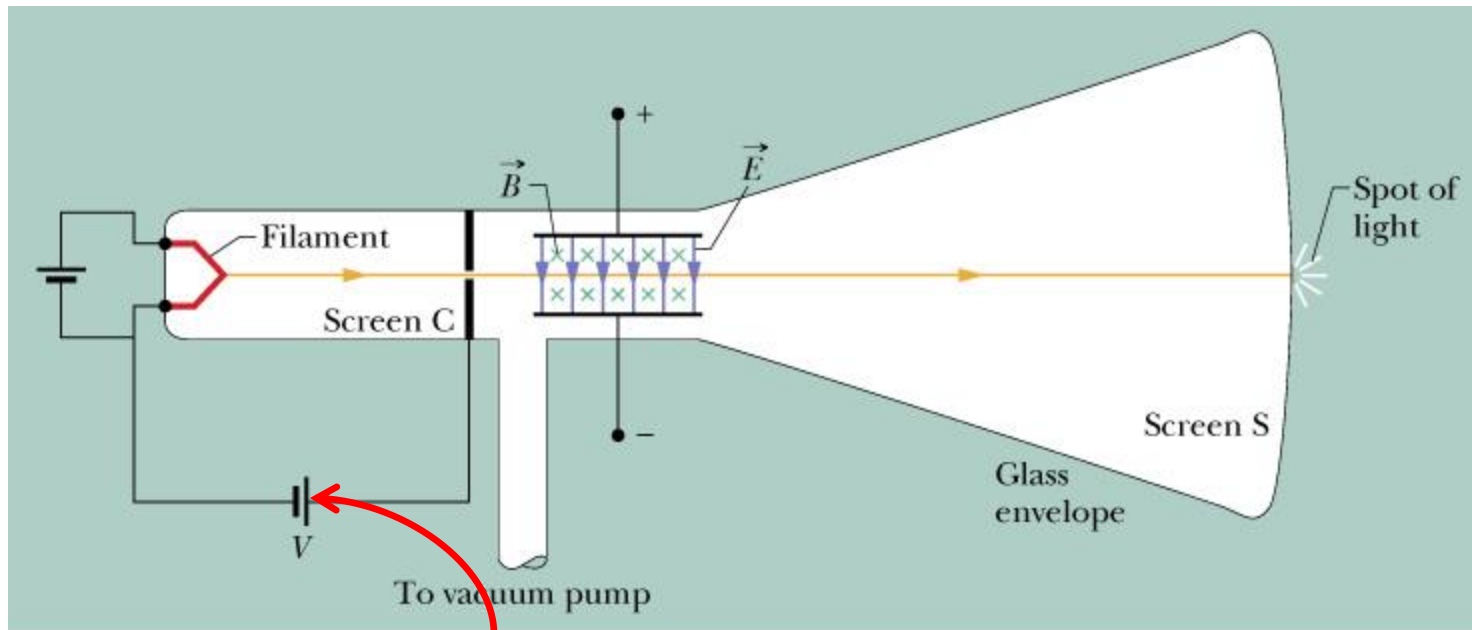
$$qE = qvB$$

$$E = vB$$

kinematic equations also used when particle is deflected by F_B or F_E a certain distance y

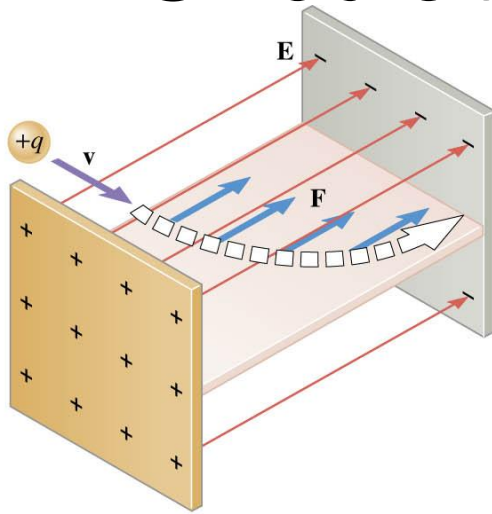
constant speed in x direction

Accelerating charged particle



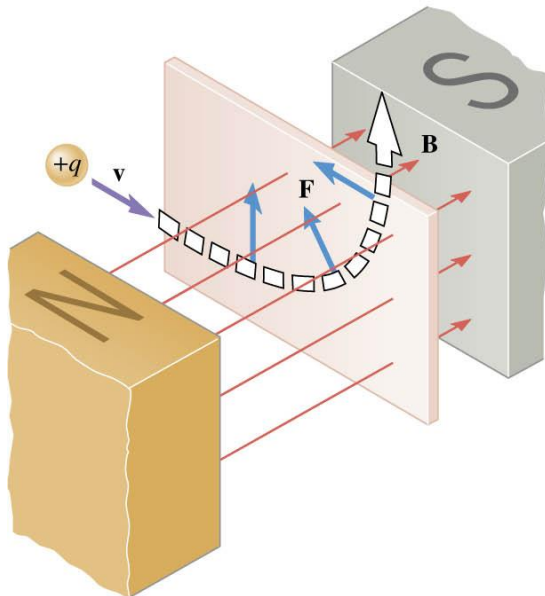
$$Work = \frac{1}{2}mv^2 = qV$$

Circulating Charged Particles



(a)

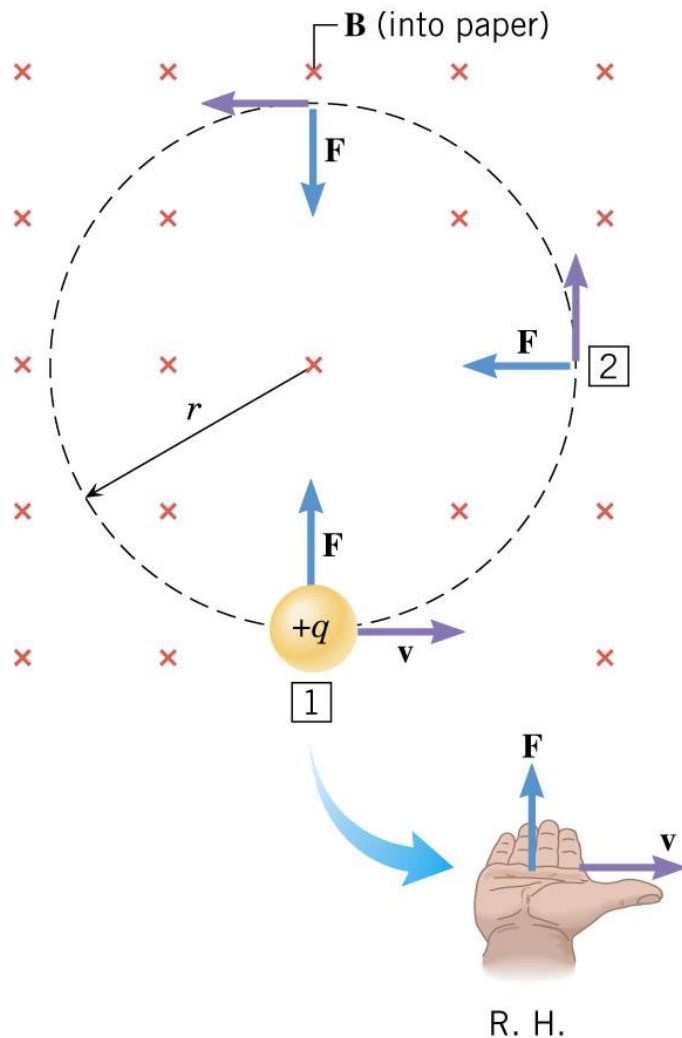
- electric field will cause parabolic path parallel to field



(b)

- magnetic field will cause circular path since F_B is ALWAYS perpendicular to B and v

UCM of charged particle in B field



$$qvB = \frac{mv^2}{r} \Rightarrow r = \frac{mv}{qB}$$

Electrons Circle in a Magnetic Field

Magnetism / Field

Video: H. Wiehl

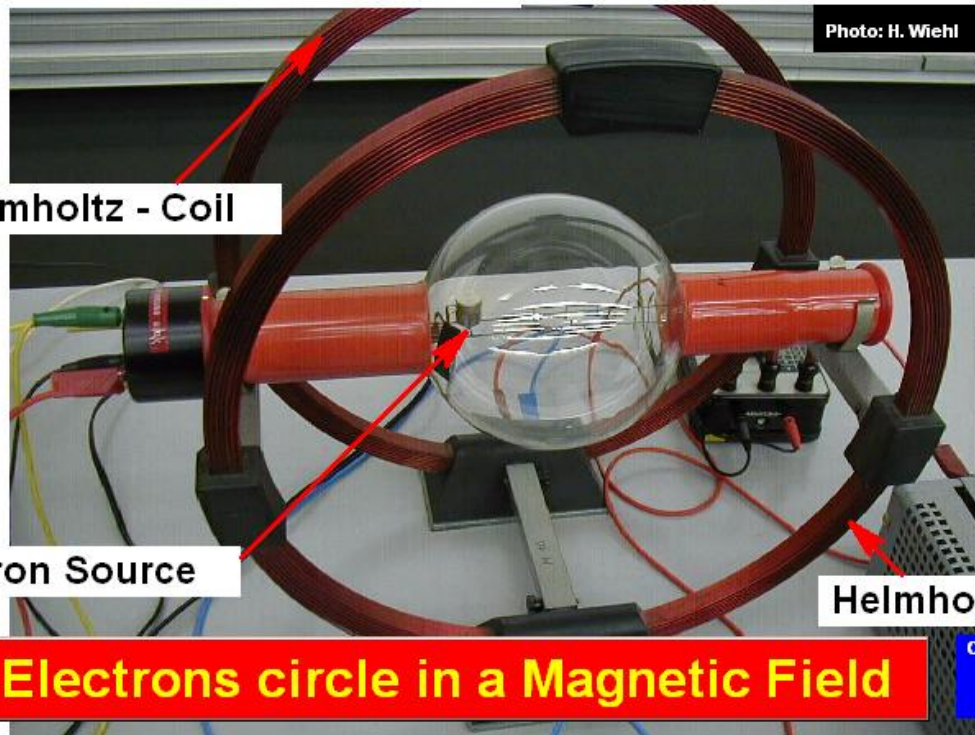


Photo: H. Wiehl

Helmholtz - Coil

Electron Source

Helmholtz - Coil

Electrons circle in a Magnetic Field

Chapter	Section
4	2

Pages End content

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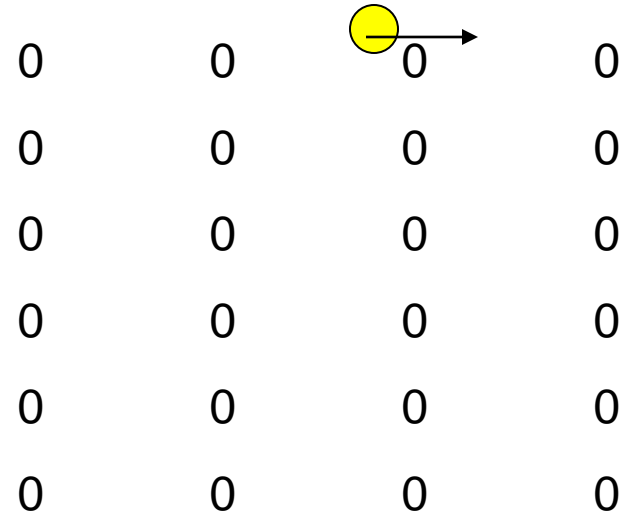
Trajectories

When moving in a uniform field, the path of a charge depends in a simple way on its direction with respect to the field. There are three cases:

1) $\vec{v} \parallel \vec{B} \Rightarrow \vec{F} = \mathbf{0} \Rightarrow$ Uniform motion (no acceleration)

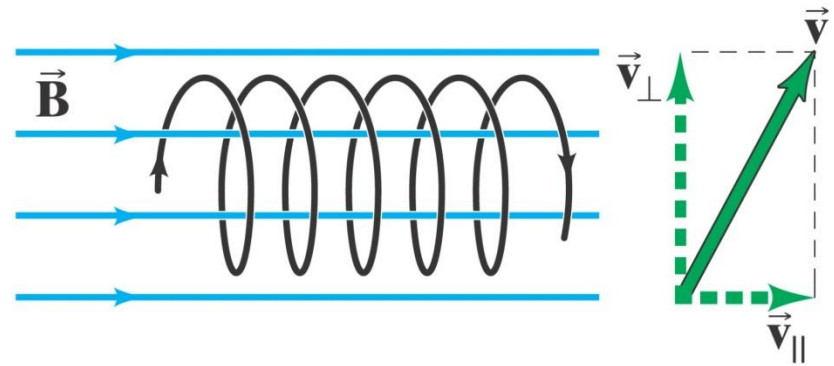
2) $\vec{v} \perp \vec{B} \Rightarrow F = qvB$

This leads to uniform
circular motion



B out of page

3) Both v_{\parallel} and v_{\perp} present

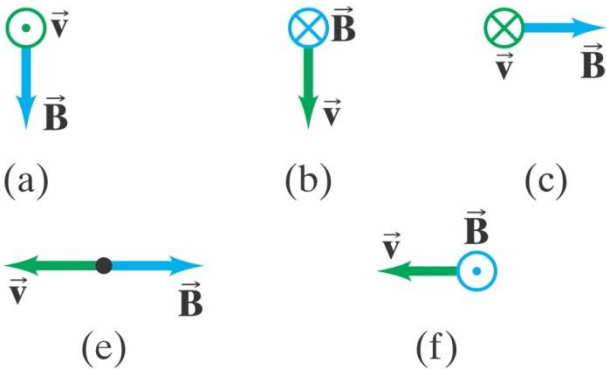


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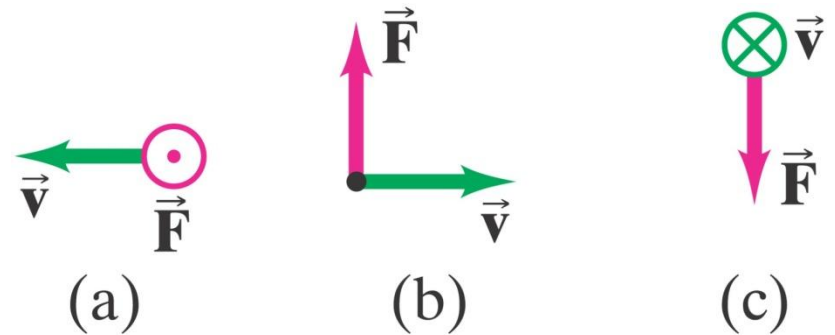
RHR practice for moving charge

problem 11



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problem 12



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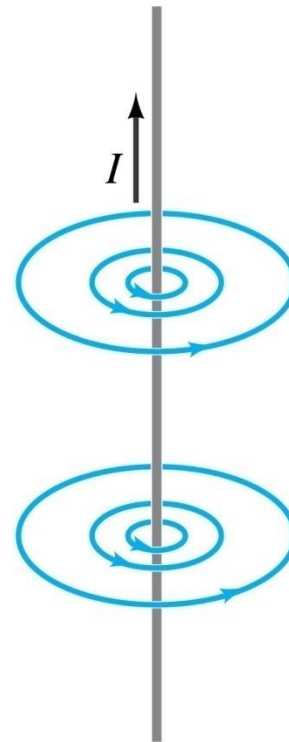
20.5 Magnetic Field Due to a Long Straight Wire

The field is inversely proportional to the distance from the wire:

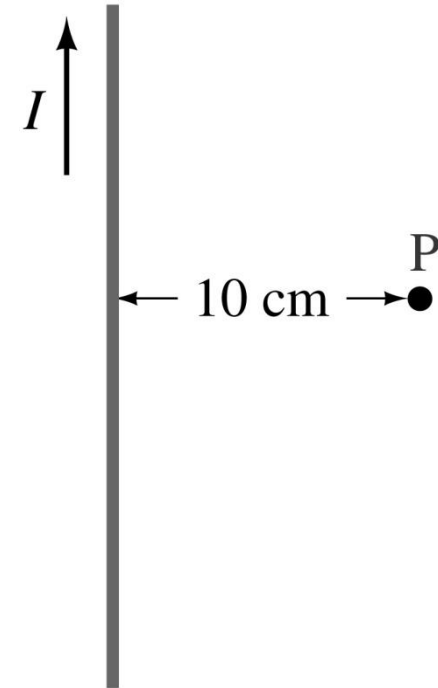
$$B = \frac{\mu_0 I}{2\pi r}$$

The constant μ_0 is called the permeability of free space, and has the value:

$$\mu_0 = 4\pi \times 10^{-7} \text{ T}\cdot\text{m}/\text{A}$$



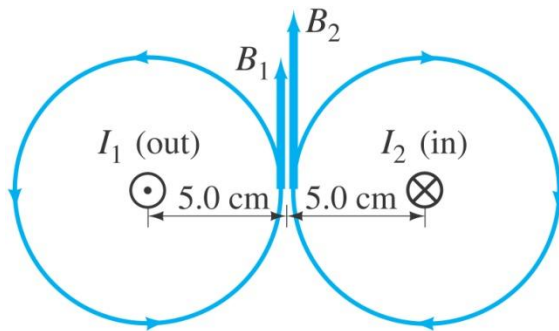
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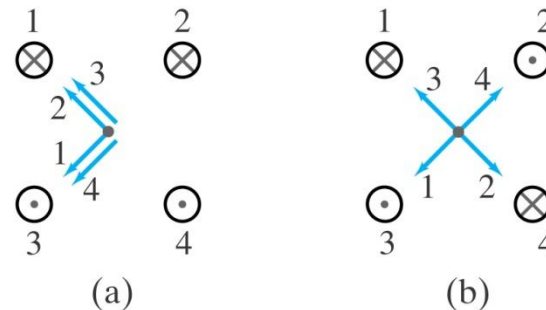
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Superposition principle applies to magnetic fields just as with electric fields

Net B field at a point is a VECTOR sum of individual fields

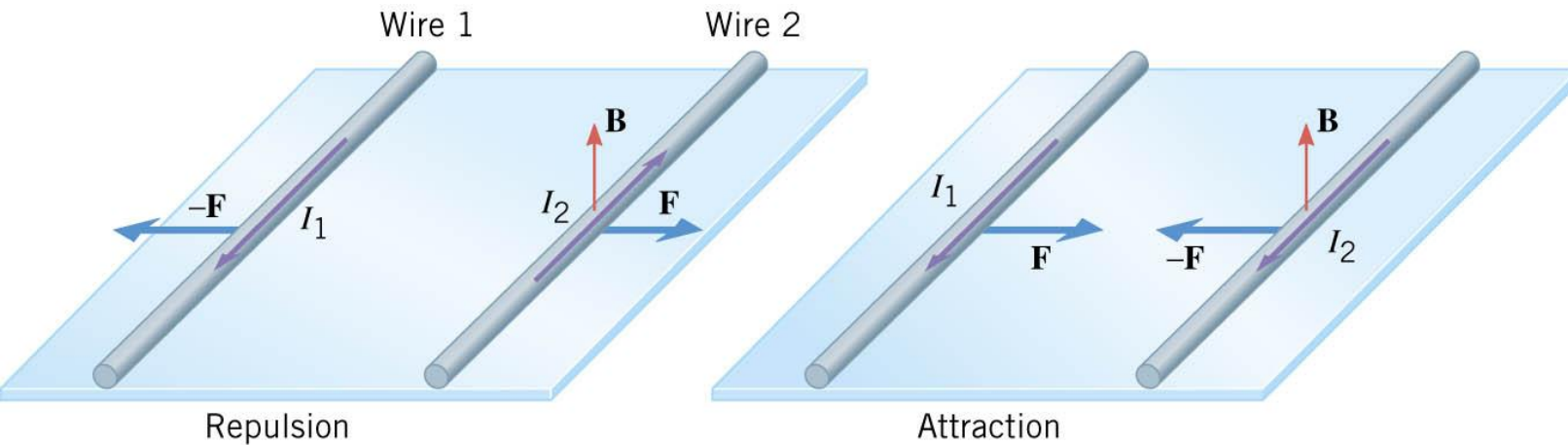


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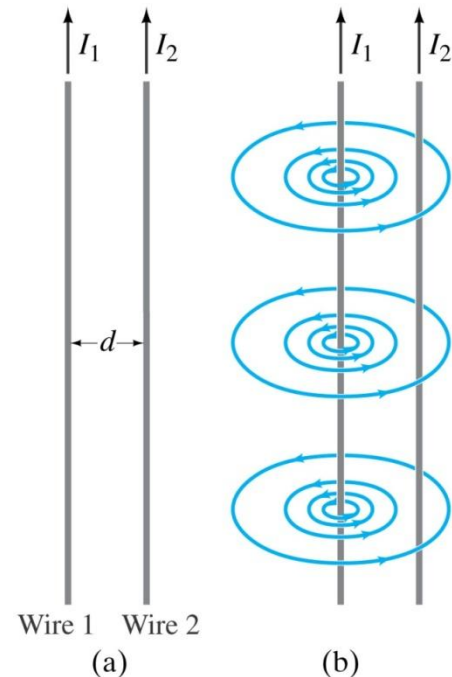
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Force between parallel wires

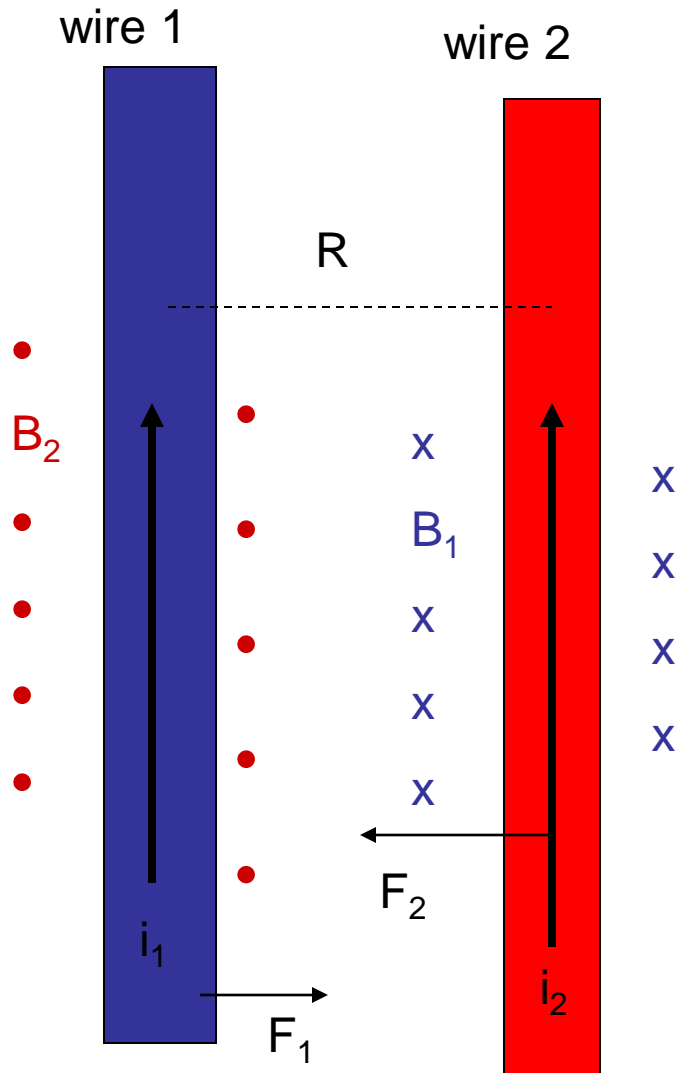


(a)
anti-parallel currents
repel

(b)
parallel currents
attract



Force on parallel wires



I 's in same direction

Two competing influences when determining force on wire 2 due to current in wire 1 and wire 2

B_1 is increasing linearly with current but decreasing with separation distance R

$$B_1 = \frac{\mu_0 i_1}{2\pi R}$$

F_2 is increasing linearly with current in wire and B_1 it is in

$$F_2 = i_2 L B_1 = \frac{\mu_0 i_1 i_2}{2\pi R} L$$